

# STUDY OF SPHERICAL TARGET FOR LBNE

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UNIVERSITY OF MINNESOTA & LEE TENG FELLOW 2014

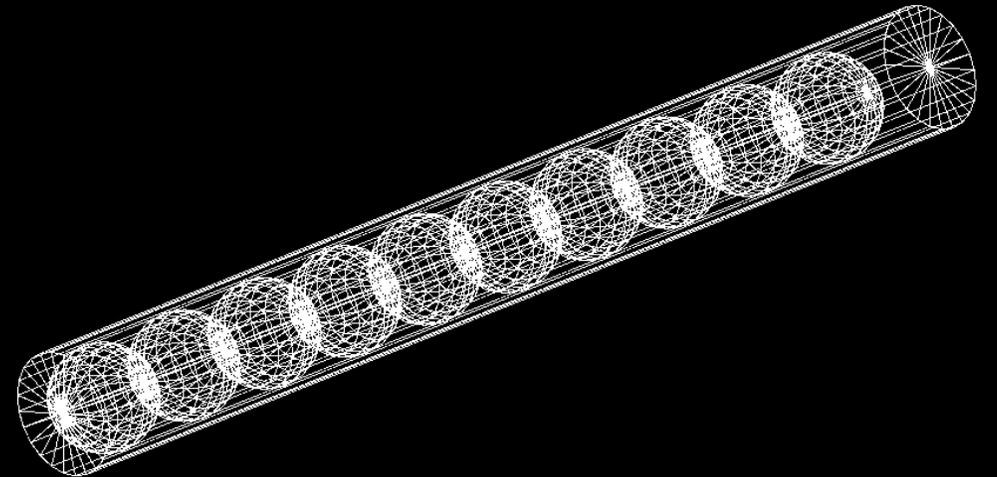
ADVISOR: ALBERTO MARCHIONNI, PAUL LEBRUN

## Goal:

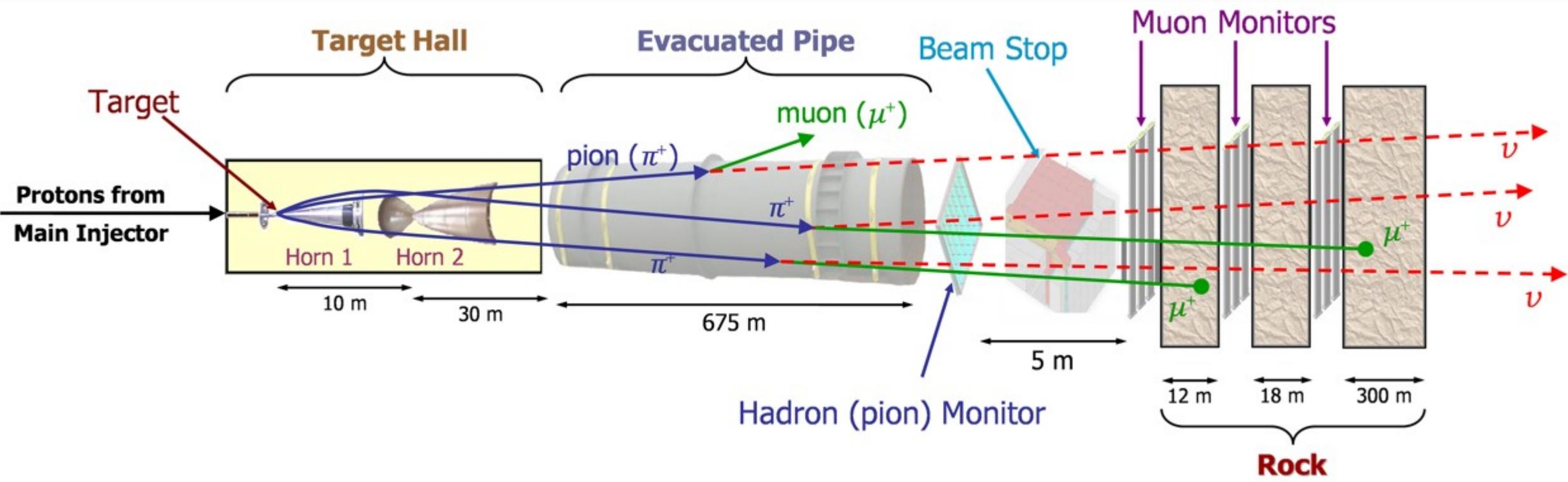
- Build geometry using GEANT4 (g4lbne v3r2p4)
- To run Monte Carlo simulation of spherical array target made of Beryllium and get neutrino flux for different target and beam positions



Designed by Rutherford Appleton Lab



# BEAM LINE



MINOS beam line. arXiv:1307.0721 [hep-ex] FERMILAB-PUB-13-279-PPD

### NuMI Target

At center of Graphite, temperature jumps by *272 deg C in 10 microseconds*, every 2 seconds



Graphite Fin Core, 2 int. len.  
( 6.4 mm x 15 mm x 20 mm ) x 47 segments

Water cooling tube also provides mech. support  
(steel soldered to graphite)

Anodized Al spacer (electrical insulation)

Water turn-around at end of target



## STUDY MOTIVATION

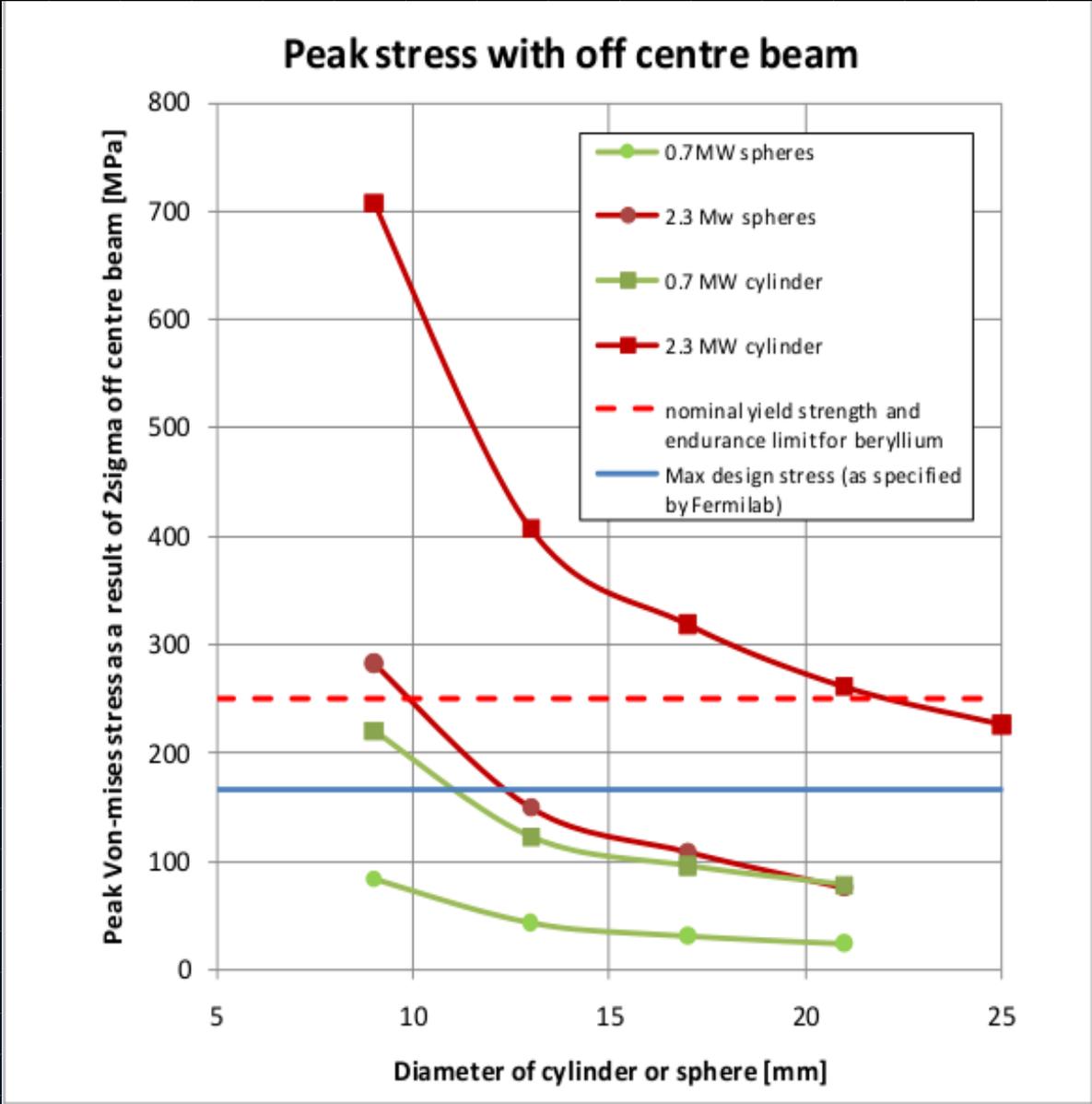
Graphite target: breaks often, water leak

Spherical Array target:

- Made of Beryllium
- Stronger material, better heat conduction
- Cooled by He, larger surface for cooling
- Lower stresses than a cylinder target

\* However: Harder to work with, toxic, less elastic than graphite

# Peak stress for a 2 sigma off center beam (worst case design point)



(Study by Rutherford  
Appleton Lab)

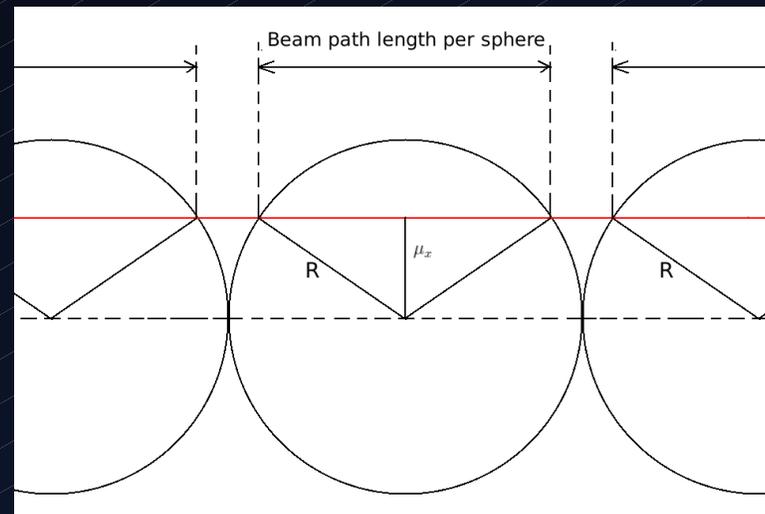
# CALCULATING TARGET DIMENSION

QUYNH  
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- Calculate effective interaction length as a function of beam position, weighted by Gaussian distribution of the beam (with  $\sigma = R/3$ )
- Two interaction lengths equivalence for Beryllium:

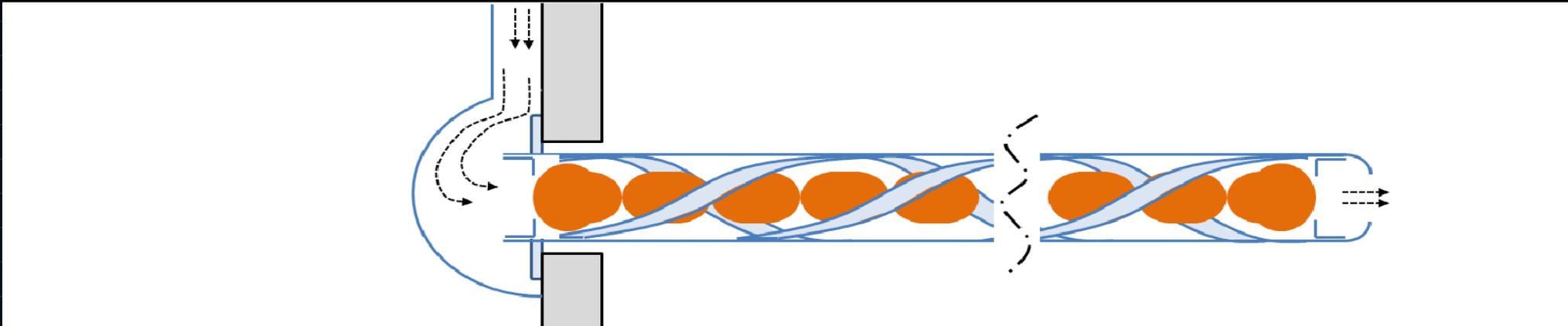
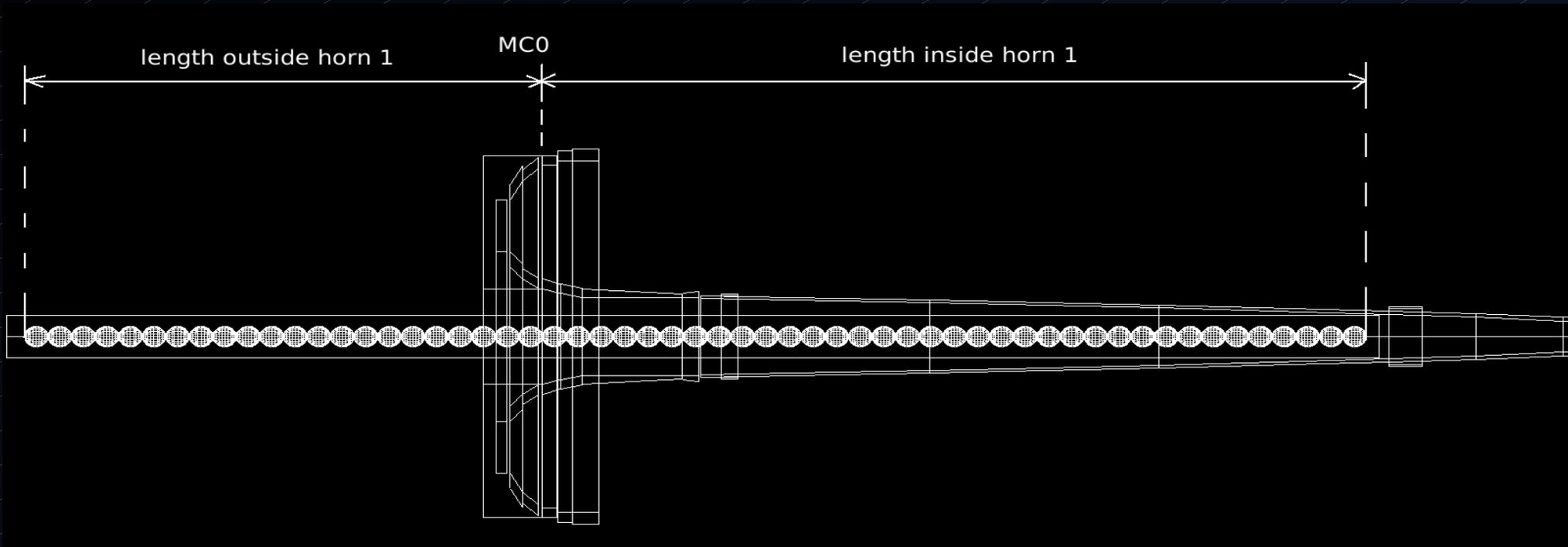
$$\int_{-\sqrt{R^2-x^2}}^{\sqrt{R^2-x^2}} \int_{-R}^R \left( \frac{1}{2\pi\sigma_x\sigma_y} e^{-\frac{x^2}{2\sigma_x^2} - \frac{y^2}{2\sigma_y^2}} \right) \times 2N\sqrt{R^2-x^2-y^2} dx dy = 2 \times \text{interaction length}$$

Number of spheres:  $N = 53$  of  $\Phi 17\text{mm}$ ,  $75$  of  $\Phi 13\text{mm}$



# NEW TARGET POSITION

- Using  $\Phi 17\text{mm}/13\text{mm}$  sphere in  $\Phi 36\text{mm}$  can, and 3 mm radial clearance from the horn



# PROBABILITY OF INTERACTION FOR OFF-CENTRE PROTONS

- Estimate probability of interaction of off-center protons and compare with neutrino flux at of off-center beams

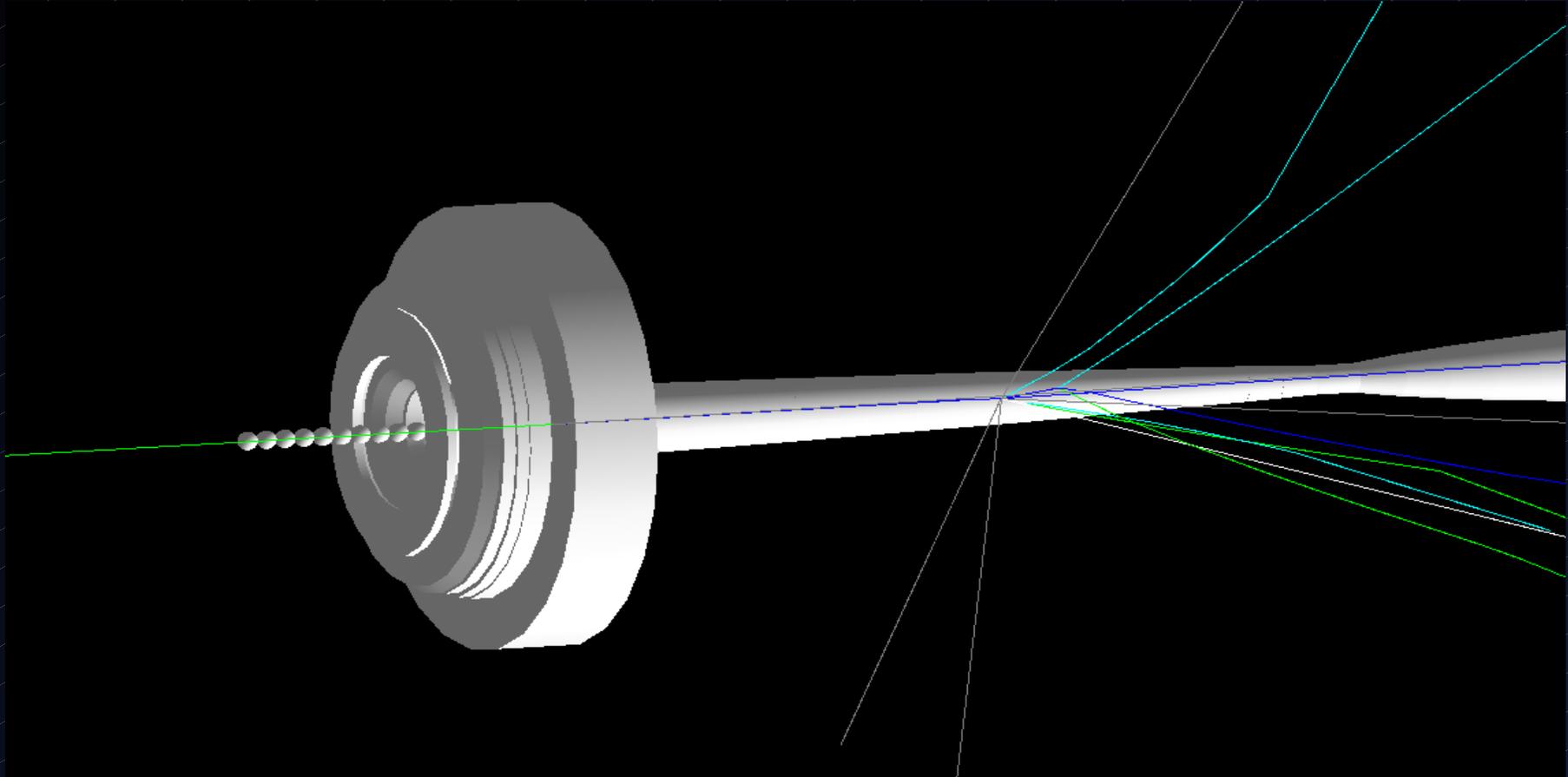
$$P(\mu_x, \mu_y) = \int_{-\sqrt{R^2-x^2}}^{\sqrt{R^2-x^2}} \int_{-R}^R \left( \frac{1}{2\pi\sigma_x\sigma_y} e^{-\frac{(x-\mu_x)^2}{2\sigma_x^2} - \frac{(y-\mu_y)^2}{2\sigma_y^2}} \right) \times \left( 1 - e^{-\frac{2N\sqrt{R^2-x^2-y^2}}{\text{interaction length}}} \right) dx dy$$

Numerical Integration in python (Thanks Todd) gave

Beam offset (mm)	0	0.05	0.1	0.2	0.4	1	2	3
Probability of interaction (%)	85.043%	85.042%	85.04%	85.02%	84.95%	84.47%	82.63%	79.27%
Ratio to on-centre beam	1	0.99998	0.99993	0.99973	0.99893	0.99320	0.97163	0.93215

TABLE II. Probability of interaction of protons hitting the target at different offset from the target center

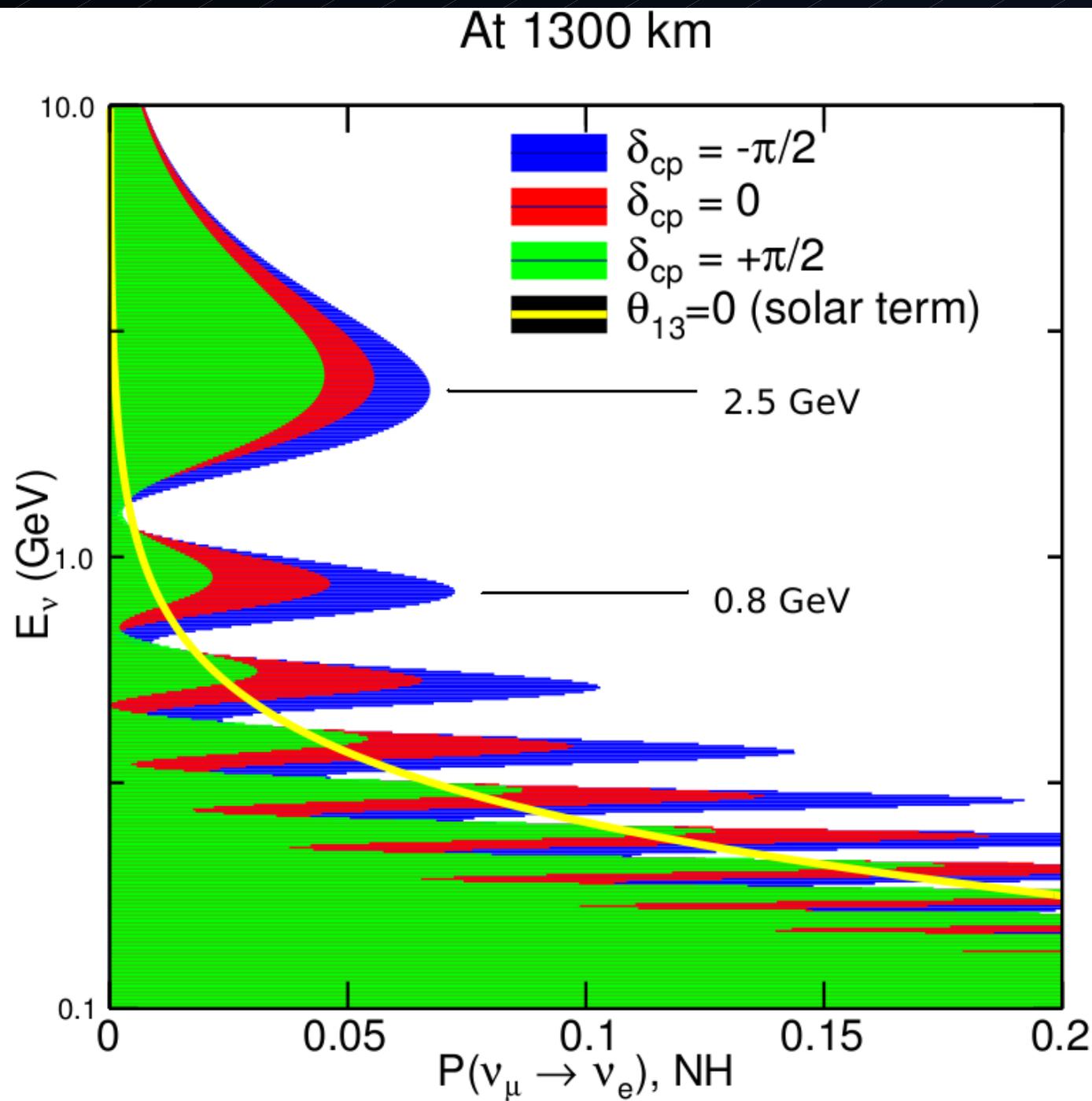
# Simulation of Target and Horn1 with 1 Proton on Target (POT)



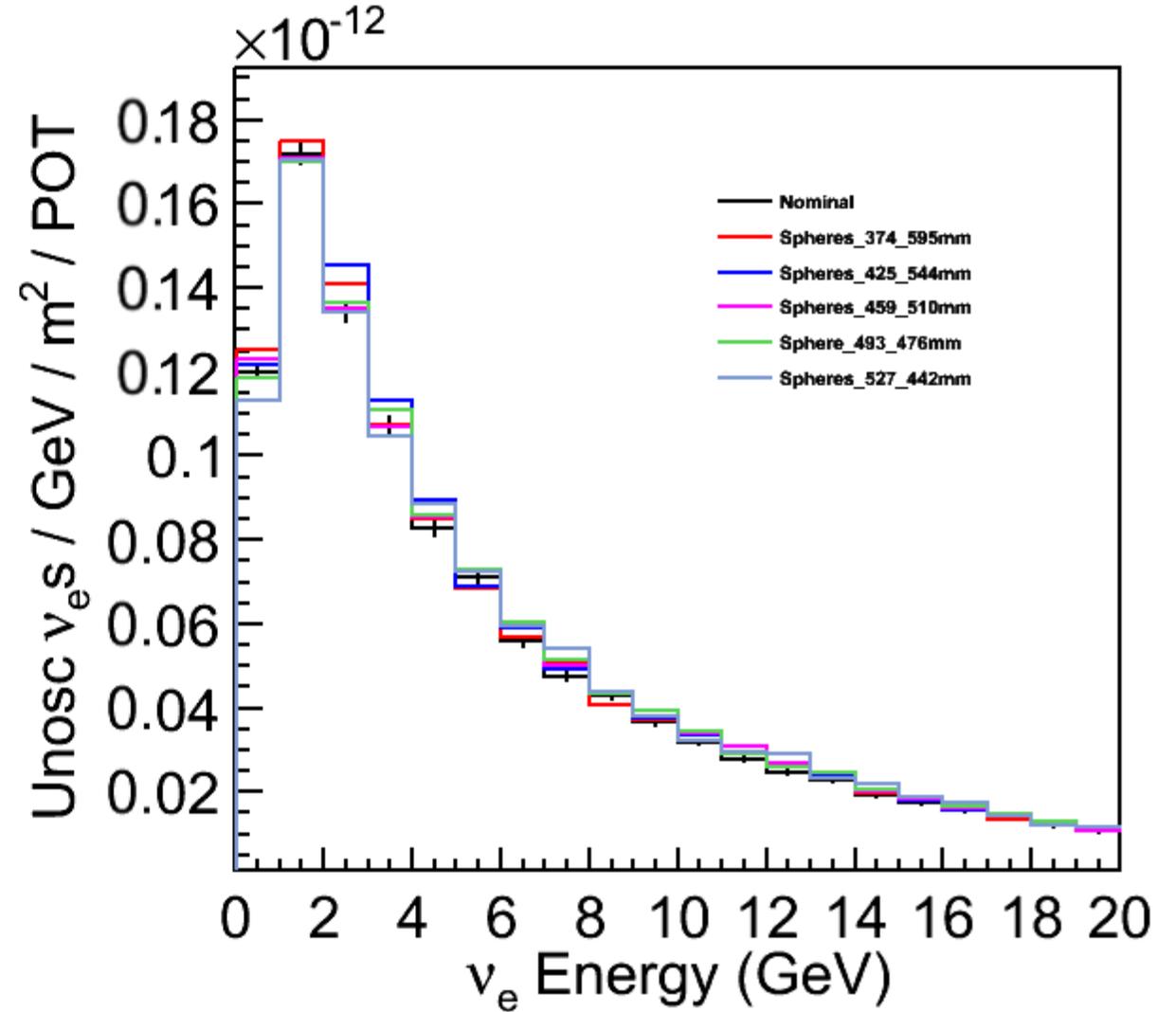
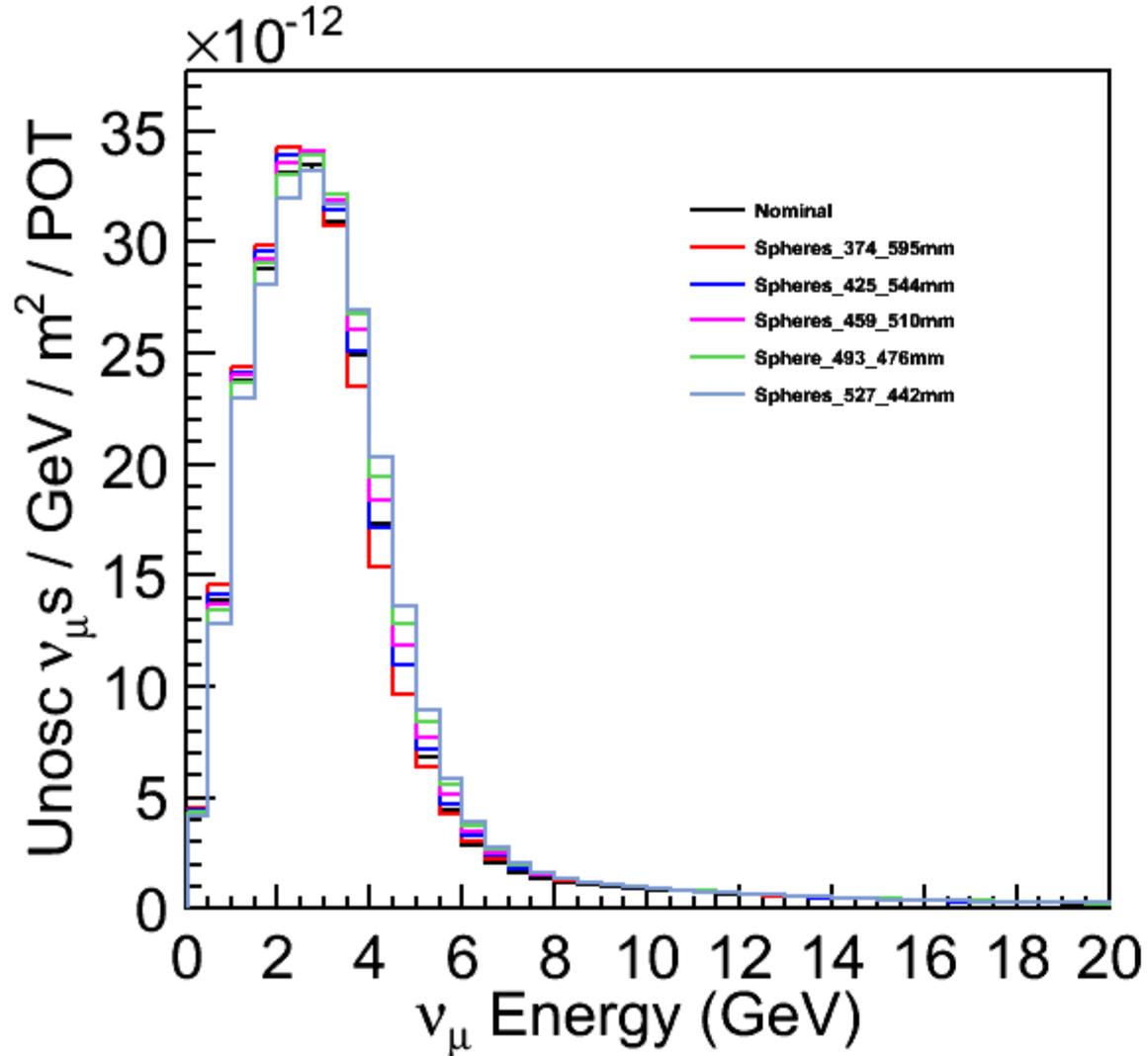
## MONTE CARLO (g4lbne v3r2p4)

- 500 runs of 100,000 POT for each configurations:
- $\varnothing 17\text{mm}$ , beam  $\sigma = 2.83\text{mm}$ , 969 mm target, target position varies
- $\varnothing 17\text{mm}$ , beam  $\sigma = 2.83\text{mm}$ , 969mm target, beam position varies
- $\varnothing 17\text{mm}$ , beam  $\sigma = 1.7\text{mm}$ , 969 mm target, position varies
- $\varnothing 17\text{mm}$ , beam  $\sigma = 1.7\text{mm}$ , 901 mm target, position varies
- $\varnothing 13\text{mm}$ , beam  $\sigma = 2.16\text{mm}$ , beam position varies

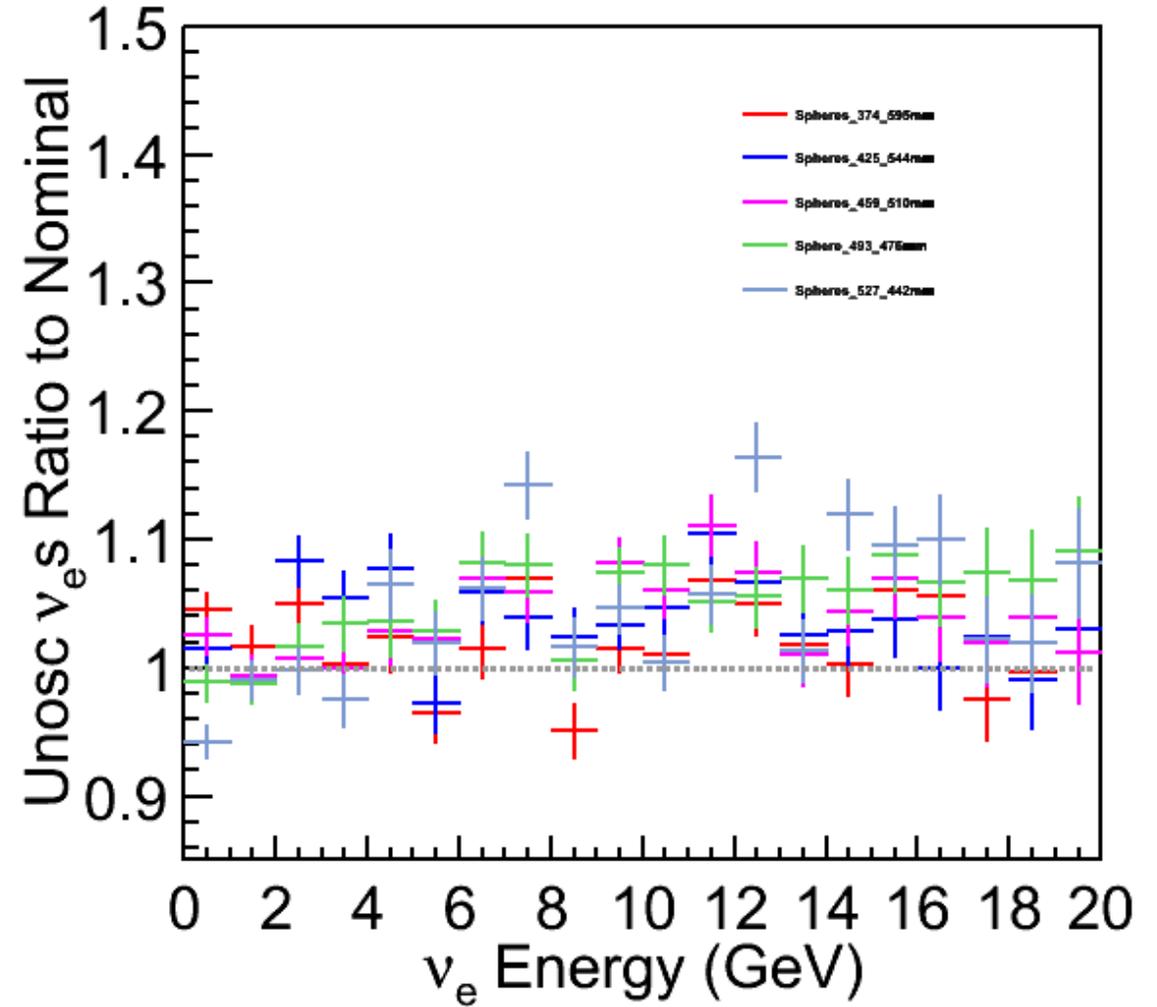
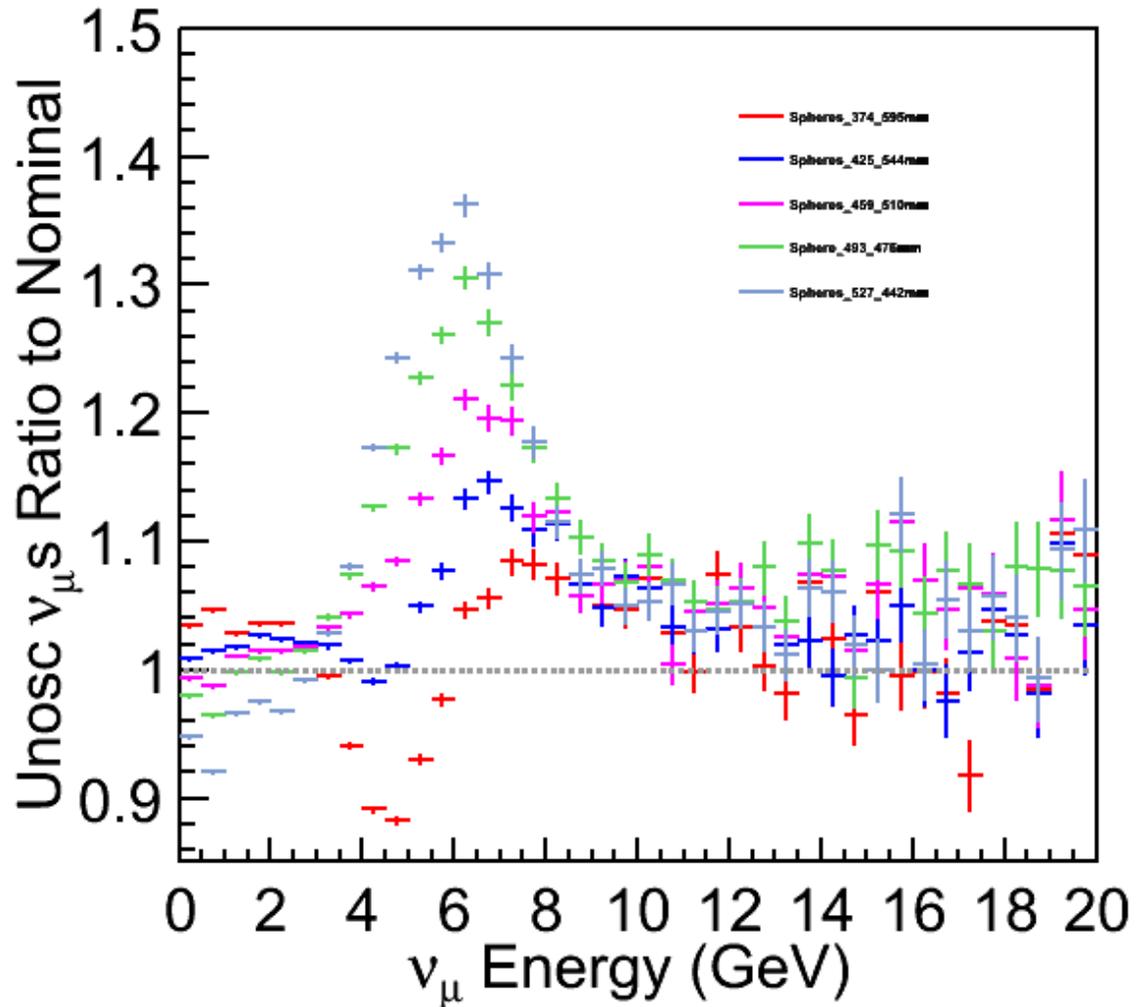
OSCILLATION  
MAXIMA



# MOVE TARGET. Spheres $\varnothing 17\text{mm}$ , beam $\sigma = 2.83\text{mm}$ , 969 mm target, target position varies, Far Detector

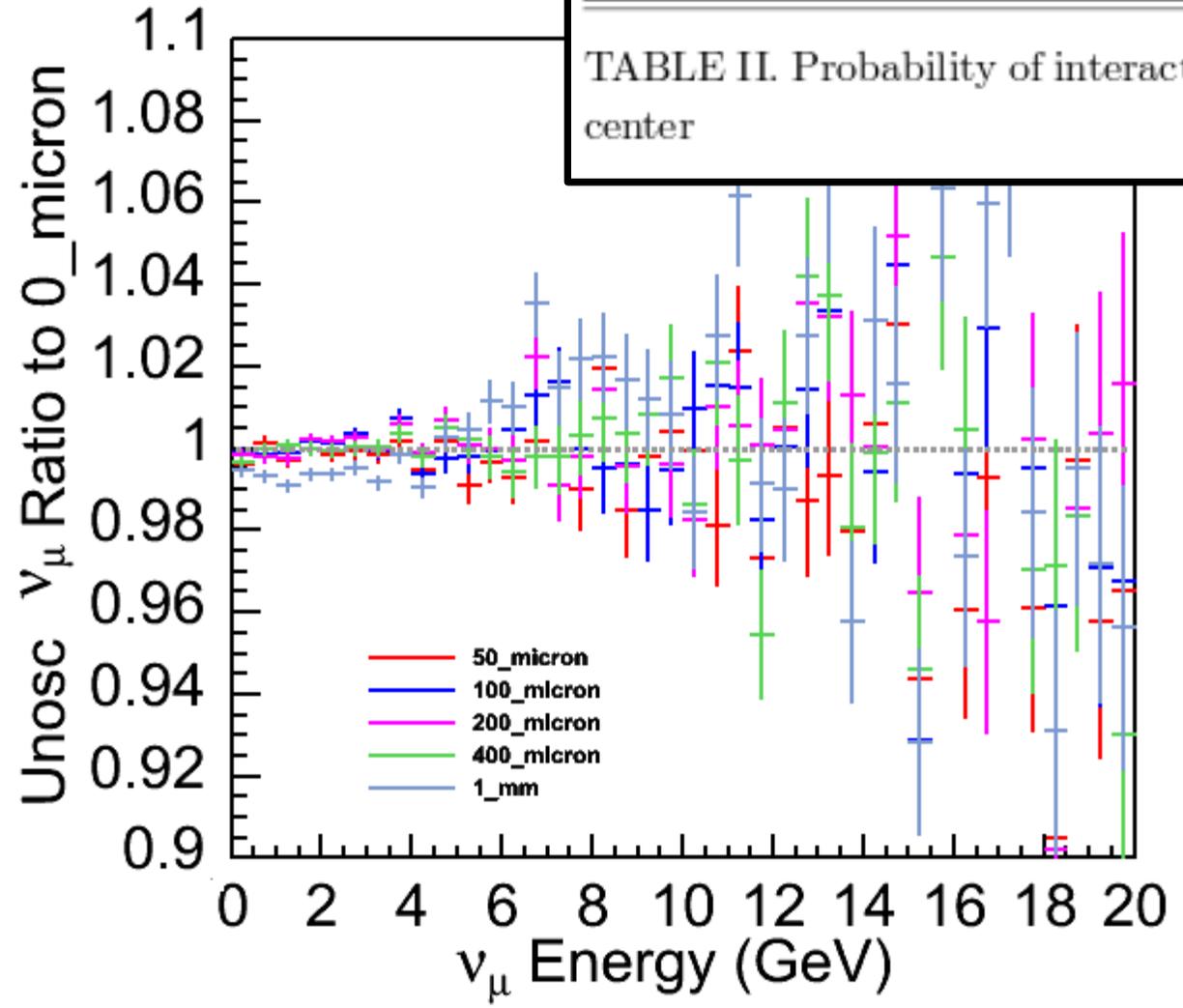


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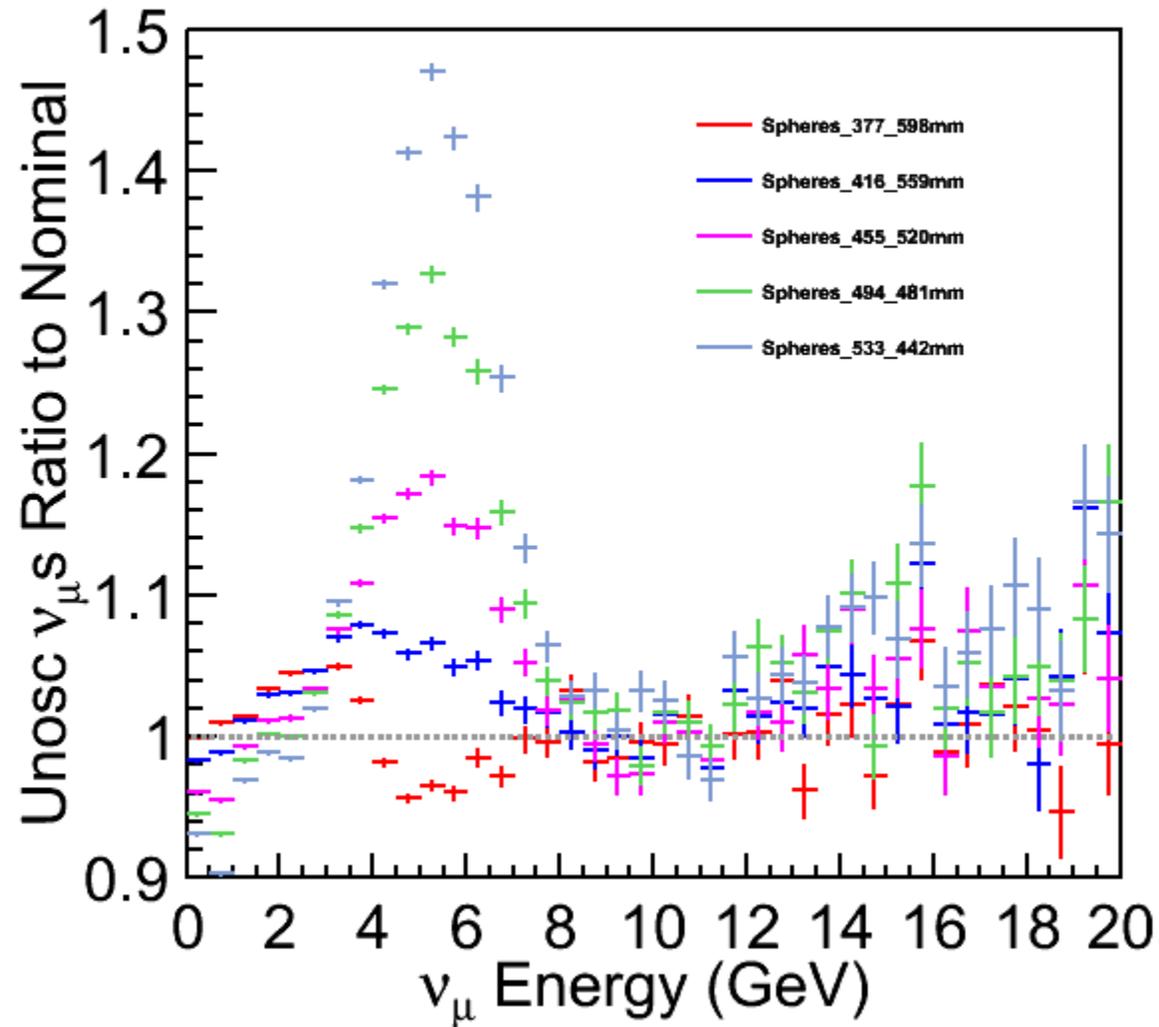
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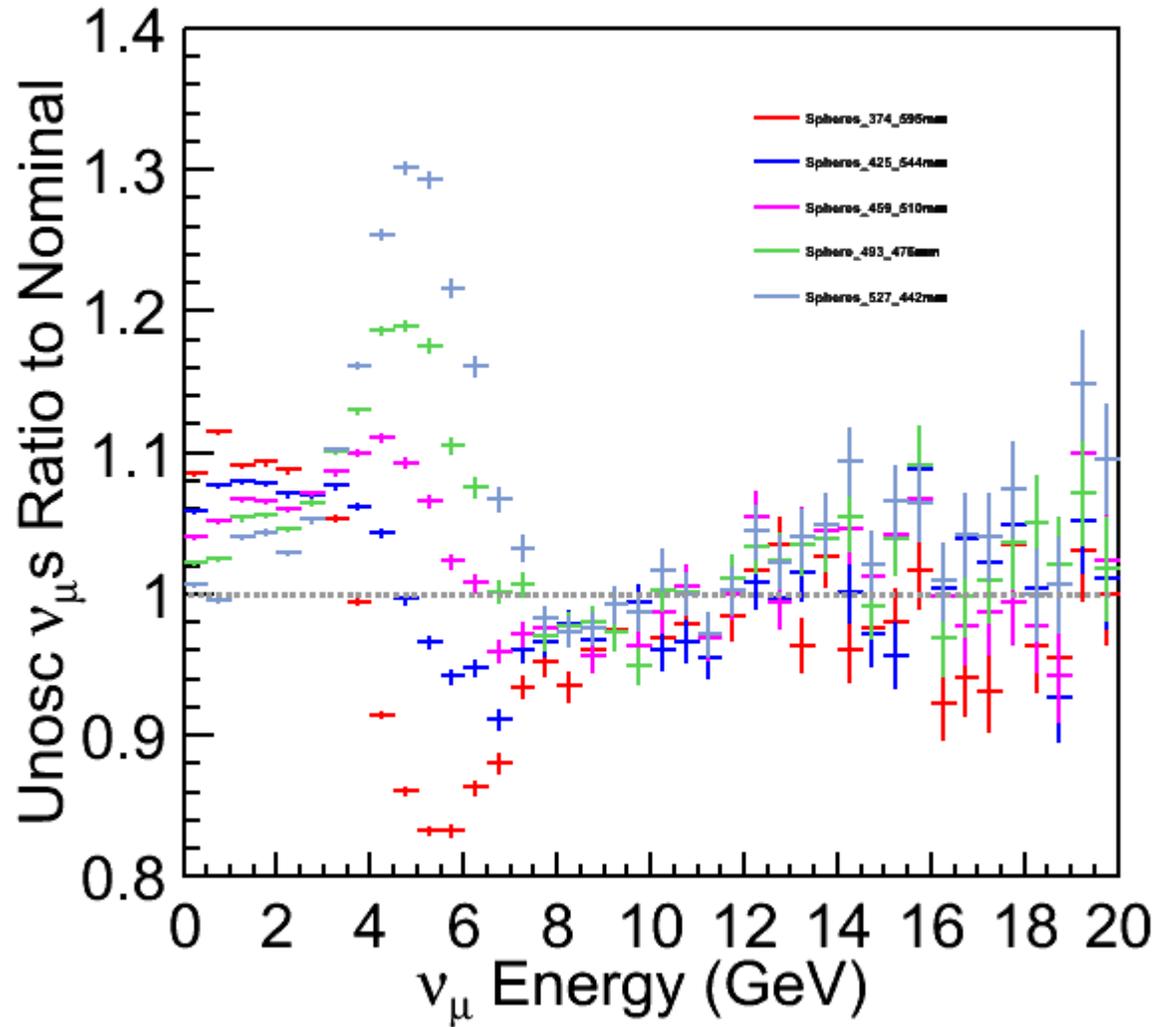


MOVE BEAM OFFSET.  
 Spheres  $\varnothing 17\text{mm}$ , beam  $\sigma = 2.83\text{mm}$ , 969mm target,  
 beam position varies, Far  
 Detector

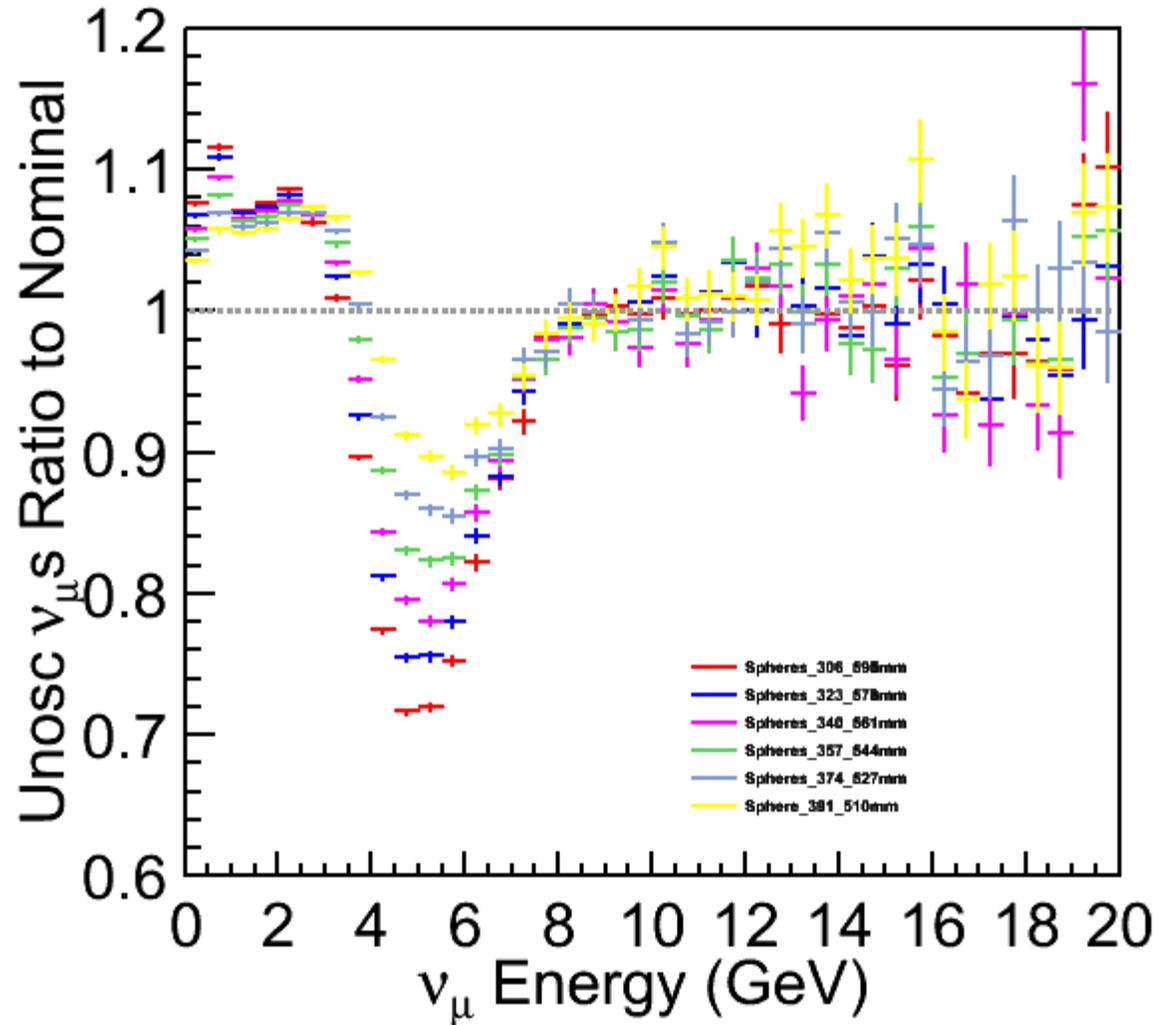
SMALLER TARGET. Spheres  $\varnothing 13\text{mm}$ , beam  $\sigma = 2.16\text{mm}$ , beam position varies, Far Detector



# THINNER BEAM: Spheres $\varnothing 17\text{mm}$ , beam $\sigma = 1.7\text{mm}$ , 969 mm target, position varies, Far Detector



SHORTER TARGET.  $\varnothing 17\text{mm}$ , beam  $\sigma = 1.7\text{mm}$ , 901 mm target, position varies, Far Detector



## CONCLUSION AND FURTHER STUDY

- Spherical array target besides favorable mechanical properties also promises higher neutrino flux
- Short target (less than two interaction length) and thin beam ( $\sigma < R/3$ ) gives higher flux in 0-3.5 GeV and suppresses higher energy tail

### Further work:

- More engineering study on the strength of spheres target under thin beam ( $\sigma < R/3$ )
- Engineering study on more accurate dimension of cooling can
- Upgrade the source code to move the target to any arbitrary position

## ACKNOWLEDGEMENT

I am grateful to

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Ms. Tanja Waltrip for making sure I got my stipend &

Dr. Erik Ramberg and Dr. Roger for interesting talks

And all my friends

Back up slides

Parameters:

- Material: Beryllium
- First try  $\text{Ø}17\text{mm}$  and try to reduce further to  $\sim \text{Ø}10\text{mm}$
- Target length: two “effective” interaction lengths
- Beam size  $3\sigma$ ; beam power 1.2MW
- Try different material ?

